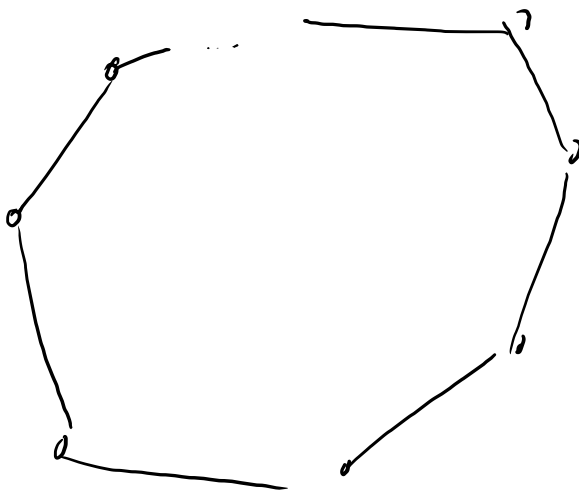


C_n

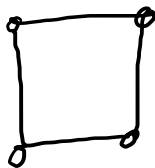


Graphe cyclique

C_1



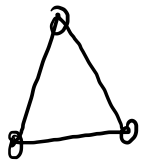
C_4

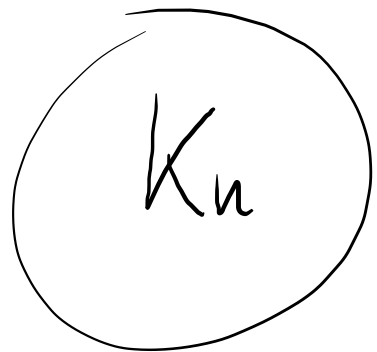


C_2



C_3

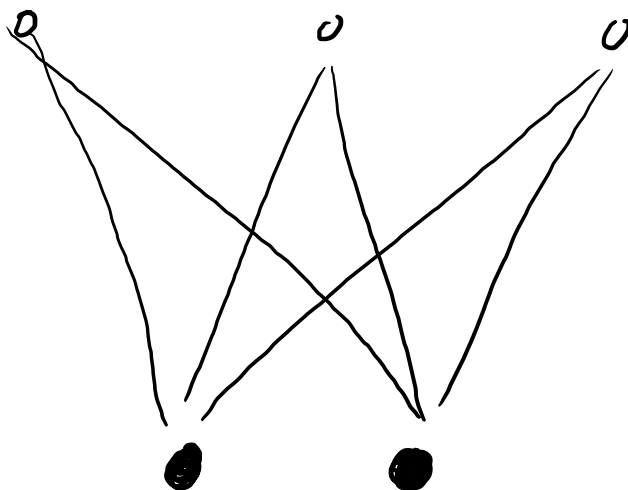


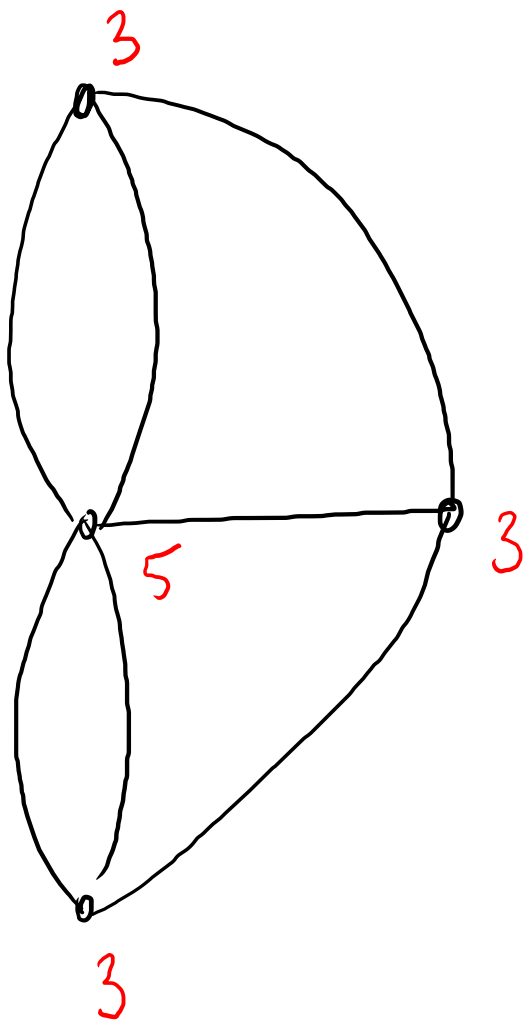


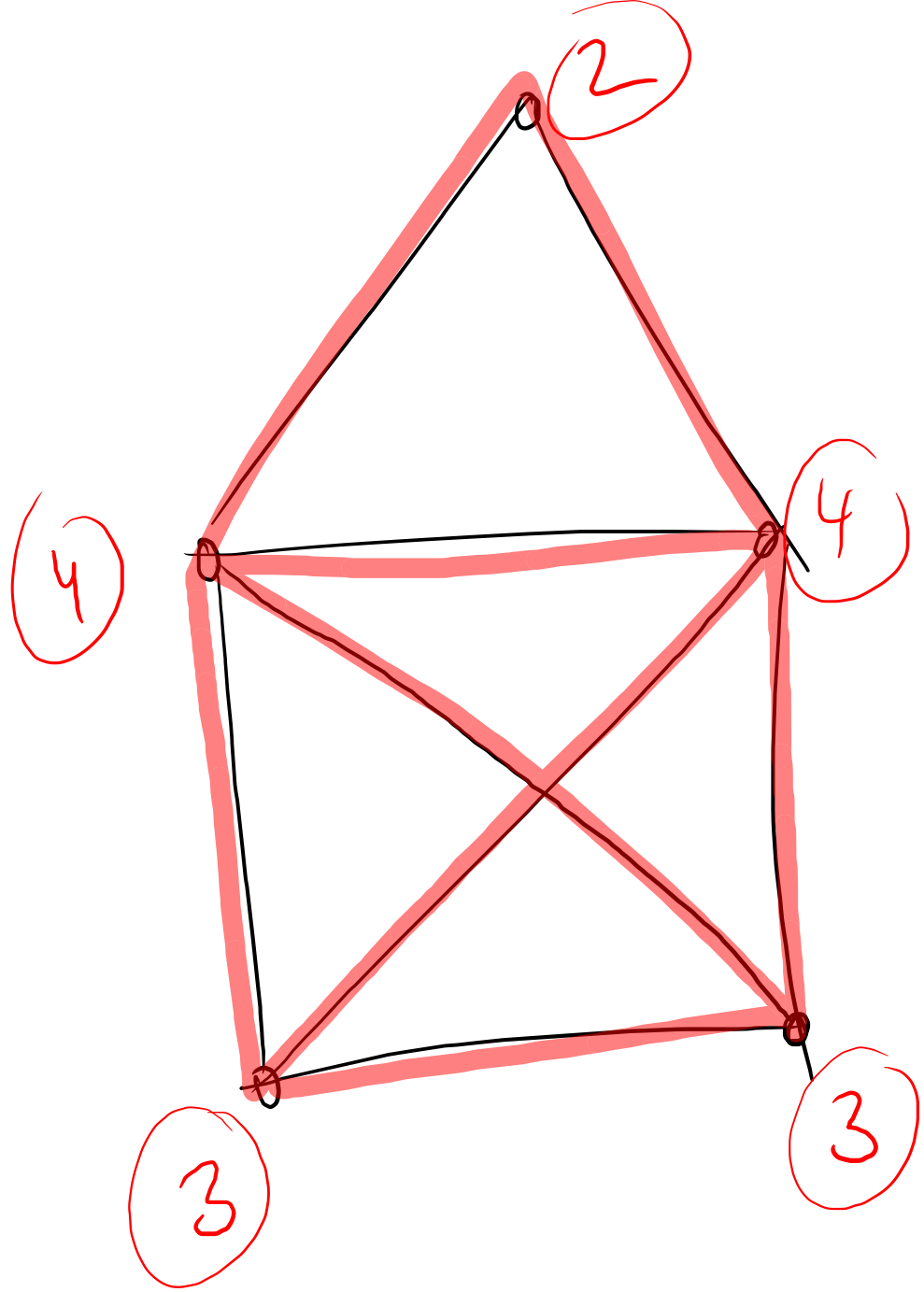
Graphes complet

$K_{m,n}$

$K_{3,2}$



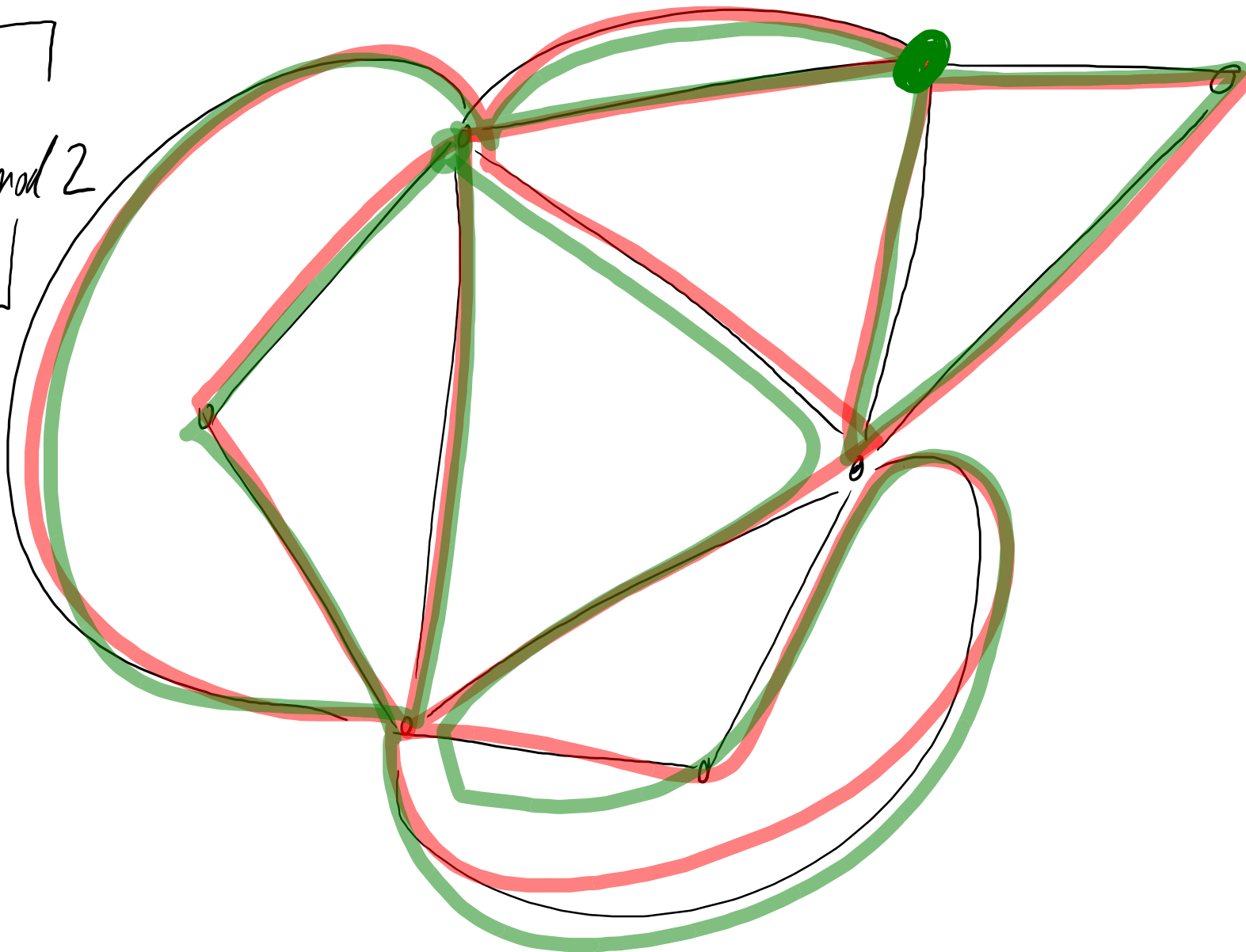


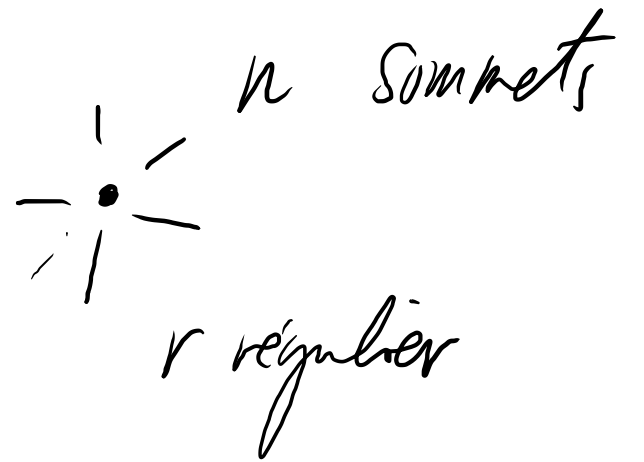
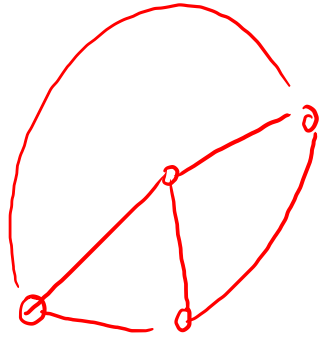


Eulerian

$$\Leftrightarrow \deg(s) \equiv 0 \pmod{2}$$

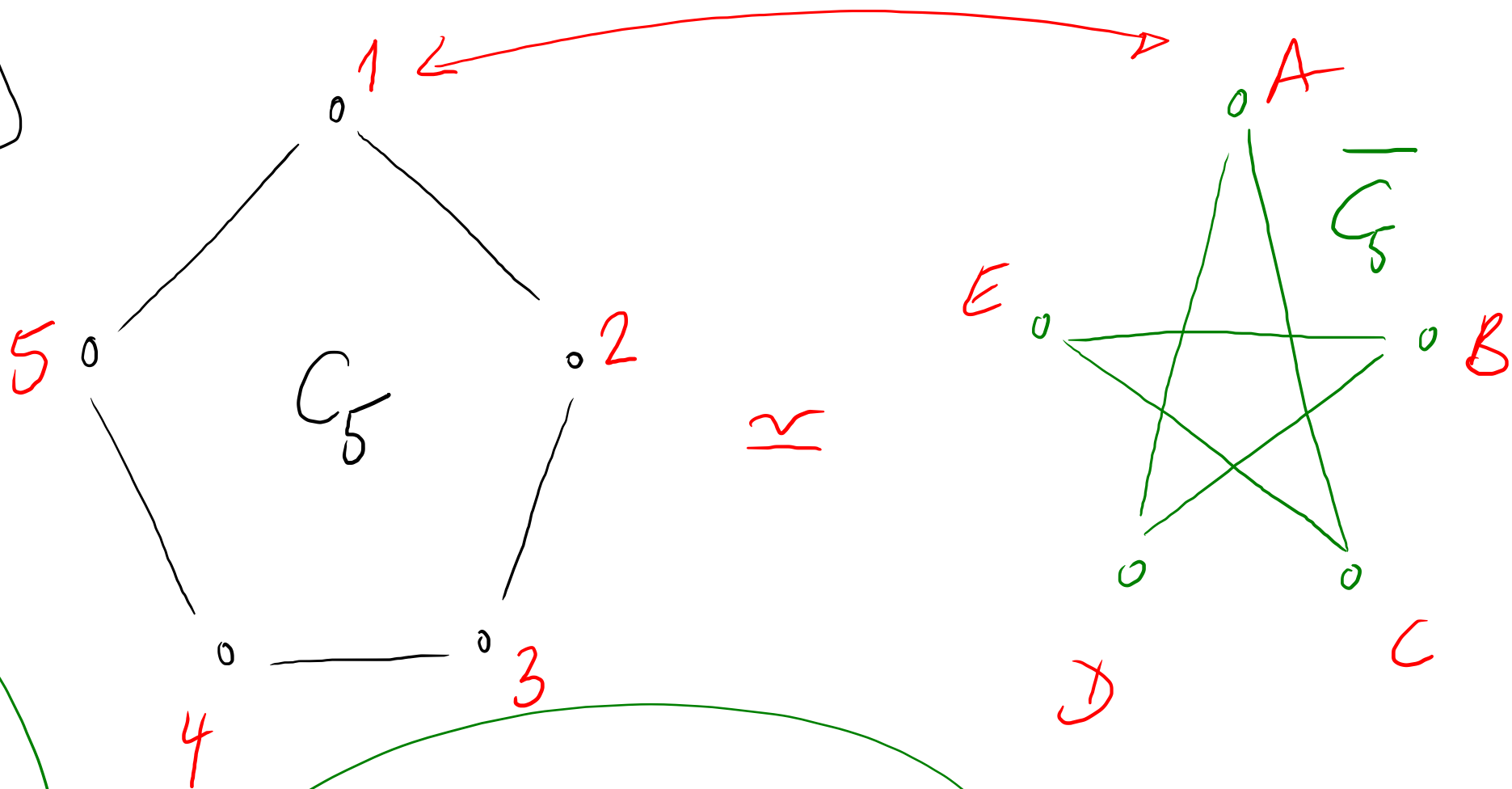
$\forall s$ sammet





$$\sum \text{degrés} = n \cdot r$$

3.1.21



symmetrie

C_5	\bar{C}_5
1	A
2	C
3	E
4	B
5	D

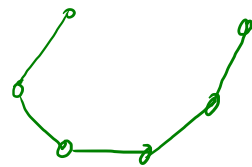
$(12) \leftrightarrow (AC)$ $45 \leftrightarrow BD$
 $23 \leftrightarrow CE$ $51 \leftrightarrow DA$
 $34 \leftrightarrow EB$

aretes

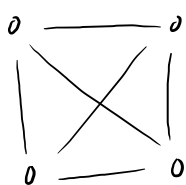
$$C_n \simeq \bar{C}_n \quad \text{si } n \neq 5$$

n vertices

$$\frac{n(n-1)}{2} - n$$



K_n



$$n-1 + n-2 + n-3 + \dots + 1$$

$$1 \quad 2 \quad 3$$

$$n \quad n \quad n \quad \dots \quad n$$

$(n-1)$ for

$$n = \frac{n(n-1)}{2} - n$$

$$2n = n^2 - n - 2n$$

$$n^2 - 5n = 0 \quad / \quad n(n-5) = 0 \quad \Rightarrow \quad n=5$$

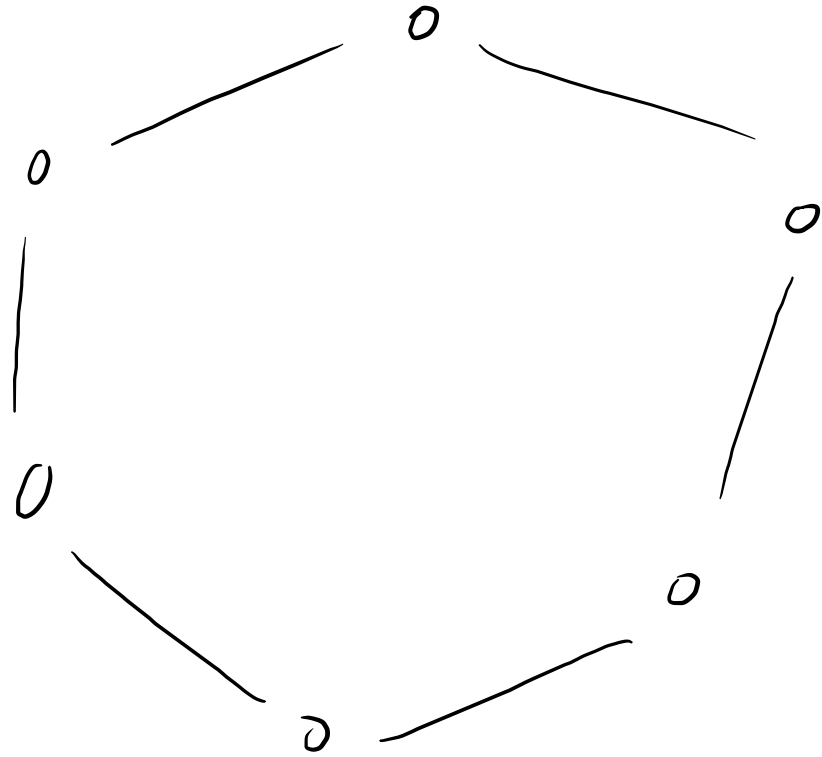
$$\Rightarrow \quad \text{si } n \neq 5 \quad C_n \neq \bar{C}_n$$

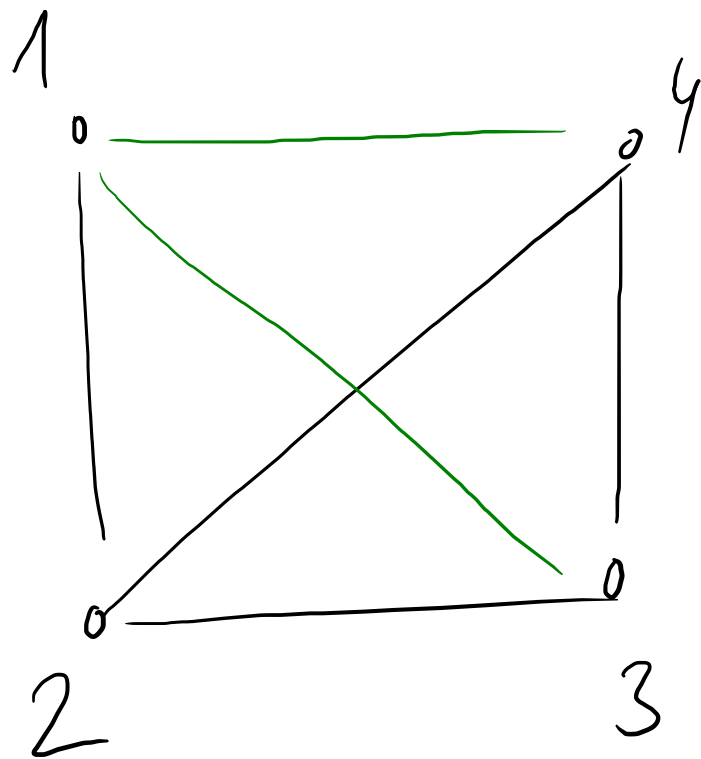
G 3 régulier, 7 sommets

$$\underbrace{\Sigma \text{ degrés}} = 3 \cdot 7 = 21$$

$$2m \quad \downarrow$$

C_6

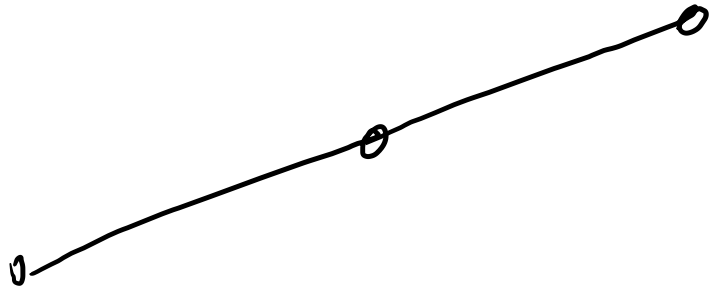




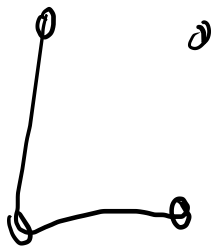
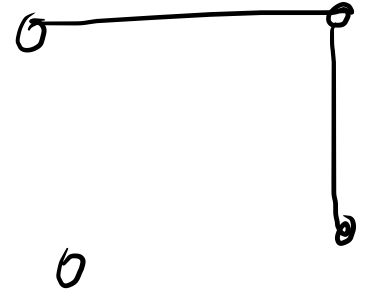
\overline{G}	14
	13

complémentaire de G

G	12
	24
	23
	34



0



$G \cong \bar{G}$ # arêtes : m pour G et \bar{G}

sommets : n pour G et \bar{G}

$$\Rightarrow \underbrace{m+m}$$

$$\# \text{ arêtes de } K_n = \frac{n(n-1)}{2}$$

$$\Rightarrow m+m = n \cdot (n-1) \cdot \frac{1}{2}$$

$$\Rightarrow 4m = n \cdot (n-1)$$

Problème 7

